Machine Assisted Reasoning for Multi-Threaded Java Bytecode

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Mikael Lagerkvist Machine Assisted Reasoning for Java Bytecode

Goal of Project

- Define an operational semantics for an interesting subset of the multi-threaded Java Virtual Machine.
- Embed the semantics in a proof tool for machine assisted reasoning.
- Do some examples to show the formalization in action.

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Possible motivation

- Formalize the behaviour of Java threads
- Prove properties of programs
- Evaluate the proof tool used



- 2 The Semantics of the JVM
- 3 Examples
- 4 Conclusion and Further Work

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 Background
 Operation

 The Semantics of the JVM
 µ-calculus

 Examples
 VeriCode I

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 Java and t

Operational Semantics μ -calculus VeriCode Proof Tool Java and the JVM

Background

- Operational Semantics
- μ -calculus
- VeriCode Proof Tool
- Java and the JVM

2 The Semantics of the JVM

3 Examples

4 Conclusion and Further Work

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Operational Semantics

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Operational semantics

- A method for describing the meaning of programs
- Defined as a transition relation $s \xrightarrow{\alpha} s'$ for systems s and s', and action α .
- Usually defined through rules, for example:

$$\mathsf{SeqComp} \xrightarrow[c_1 \stackrel{\alpha}{\to} c_1']{c_1; c_2 \stackrel{\alpha}{\to} c_1'; c_2}$$

A (1) < A (1) < A (1) < A (1) </p>

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The μ -calculus

- First order logic as the base
- Fixed points of recursive predicates
- Expressive, "one and a half order" logic

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VeriCode Proof Tool (VCPT)

- Proof assistant
- Support for operational semantics
 - The transition relation is a predicate of type system → action → system
 - $s \xrightarrow{\alpha} s'$ is expressed as *transRel* $s \alpha s'$
 - Modalities on actions
- Lazy induction

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Java is a modern object-oriented, garbage-collected, multi-threaded, distributed, portable, interpreted programming language.

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The Java Virtual Machine (JVM)

The JVM is a platform for running compiled Java programs.

- Stacks for computation
- Direct encoding of class hierarchies
- Parallel threads of execution Any scheduling policy is valid!

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JVM Memory layout

- A set of running threads
- A heap of allocated class instances
- Constant definitions (constant pool)

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The putfield(i) instruction

The instruction putfield is followed in the code stream by an argument *i*.

The execution takes values val and objref from the stack.

The result is that field *i* of instance *objref* is set to value *val*.

Helpful formulae The Formal Operational Semantics The Semantics in VCPT

Background

- 2 The Semantics of the JVM
 - Helpful formulae
 - The Formal Operational Semantics
 - The Semantics in VCPT

3 Examples



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Helpful formulae

Helpful formulae The Formal Operational Semantics The Semantics in VCPT

Some formulae were developed to manipulate lists. For example:

- at at List Index Element Ex: at [g, e, c] 1 e
- set set List Index Element List' Ex: at [g, e, c] 1 h [g, h, c]

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Excluded features

The following features were excluded.

- Exceptions
- Class hierarchies
- Datatypes other than natural numbers
- Distribution

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Semantics overview

Close resemblance to the JVM definition.

Semantics in two levels.

- Method level transitions (\rightarrow_m)
- System level transitions (\rightarrow)

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iadd at method-level

$\mathsf{IAdd}\frac{at \ CS \ PC \ iadd}{\langle CS, PC, [N_1, N_2 | VS], LS \rangle \rightarrow_m \langle CS, PC + 1, [N | VS], LS \rangle}$

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Helpful formulae The Formal Operational Semantics The Semantics in VCPT

iadd at system-level

$$\begin{array}{c} \text{at Ths } I \ \langle TId, [F|T] \rangle \\ F \rightarrow_m F' \\ \\ \text{Compute} \\ \hline \frac{\text{set Ths } I \ \langle TId, [F'|T] \rangle \ Ths'}{\langle Ths, Hp, CP \rangle \rightarrow \langle Ths', Hp, CP \rangle} \end{array}$$

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Helpful formulae The Formal Operational Semantics The Semantics in VCPT

The Semantics in VCPT

- Direct embedding as explicit formula
- Follows the formal semantics closely
- Automation of derivations for concrete systems

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Helpful formulae The Formal Operational Semantics The Semantics in VCPT

Scheduling of threads

- The unconstrained choice of next thread in the semantics corresponds to some legal choice of thread
- Next state is described as the disjunction of the legal choices

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A Simple Program

```
class Worker extends Thread {
 1
 2
      Container objref;
 3
      public Worker(Container objref) {
4
        this.objref = objref;
 5
      }
 6
      public void run() {
 7
        while(true) {
8
          synchronized(objref) {
9
             // do something
          }
10
        }
11
      }
12
13 }
```

One Thread in Bytecode

8

goto(1)

Code Data referenced PC Instruction goto(1)0 1 load(0)Local variables: 2 getfield(0)0: Reference to class instance. 3 1: Stored Container reference. dup() 4 store(1)Class variables: 5 monitorenter() 6 load(1)0: Reference to Container instance. 7 monitorexit()

Proving properties

We will focus on which thread gets to enter the critical section.

The predicate tlinCS (t2inCS) is true if thread 1 (thread 2) is in its critical section.

Simple property

 \neg *Eventually*(*t*1*inCS*) There is no fairness in the system.

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Simple property

$Sometime(\neg t \\ in CS \land Eventually(t \\ in CS))$ The queue of a mutual exclusion lock is fair.

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Slightly more advanced property

 $Always(\neg(t1inCS \land t2inCS))$ The two threads are never in their critical section at the same time.

Conclusions Further Work

Contributions

The contributions of the thesis are the following.

- Clear operational operational semantics of Java Bytecode
- A treatment of multiple threads in the JVM
- Embedding the JVM semantics in a powerful and interesting proof assistant

Conclusions Further Work

Conclusions

- There is much additional effort involved in making a toolfor proving properties of actual programs
- The abstract behaviour of Java threads are relatively easy to describe as an operational semantics
- VCPT is an interesting environment for this kind of work

Conclusions Further Work

Further work

- Model more of the JVM (exceptions, class hierarchies,...)
- Better treatment of naming issues
- Integrate more security-guarantees of the JVM
- Add rewrite simplification to VCPT.
- Investigate potential for raising the level of abstraction

Questions?

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